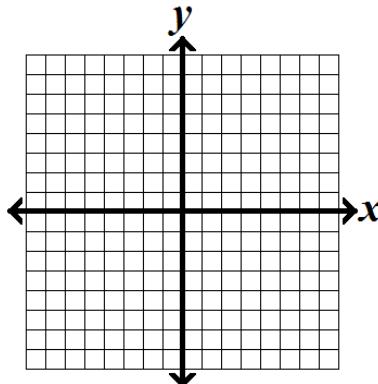


1. The vertices of  $\triangle ABC$  are  $A(2, 3)$ ,  $B(-1, 2)$ , and  $C(0, 1)$ . Translate  $\triangle ABC$  using the vector  $\langle 1, -4 \rangle$ . Graph  $\triangle ABC$  and its image, and list the new coordinates.

$$A'(\quad, \quad)$$

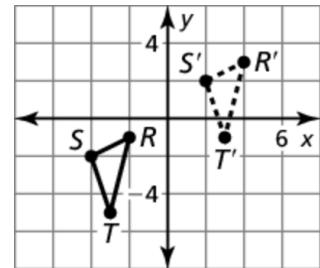
$$B'(\quad, \quad)$$

$$C'(\quad, \quad)$$



2. Find the component form of the vector that translates  $A(3, -2)$  to  $A'(-1, 4)$ .

3. Write a rule for the translation of  $\triangle RST$  to  $\triangle R'S'T'$ .

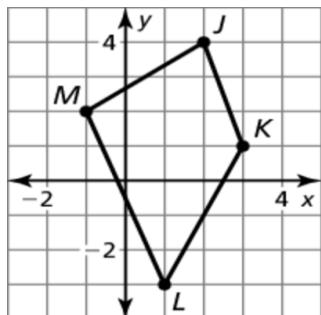


In Exercises 4 and 5, use the translation  $(x, y) \rightarrow (x+1, y-3)$  to find:

4.  $Q'$  given  $Q(5, 9)$

5.  $M$  given  $M'(-3, -8)$

6. Graph the image of polygon JKLM after a  $270^\circ$  CCW rotation about the origin. List the coordinates of the image.



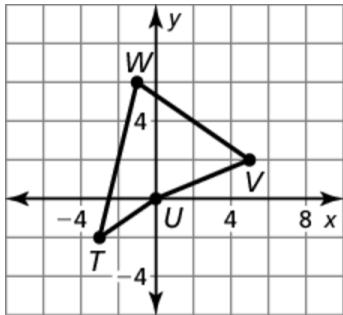
$$J'(\quad, \quad)$$

$$K'(\quad, \quad)$$

$$L'(\quad, \quad)$$

$$M'(\quad, \quad)$$

7. Graph the image of the figure below after a reflection over the line  $x=1$ . List the coordinates of the image.



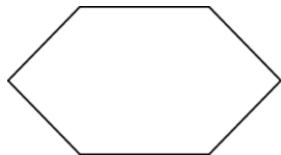
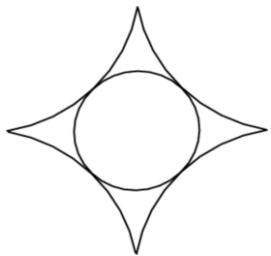
$$T'(\quad, \quad)$$

$$U'(\quad, \quad)$$

$$V'(\quad, \quad)$$

$$W'(\quad, \quad)$$

8. Use the figures below to answer parts (a) and (b).



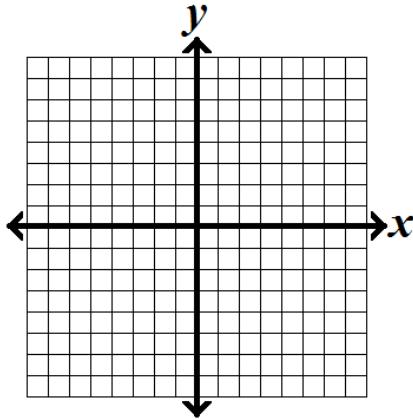
a.) For each figure above, determine the number of lines of symmetry and draw them on the figure.

b.) For each figure above, determine whether the figure has rotational symmetry. If so, draw a point on the center of rotation and list the smallest degree rotation that maps the figure onto itself.

In exercises 9-11, graph the triangle with the given vertices. Then, perform the composition transformations listed. List the coordinates after each transformation.

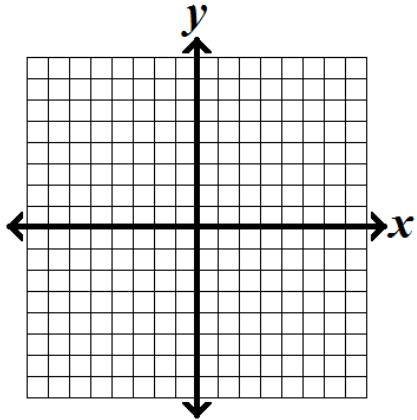
9.  $A(0, 2), B(1, -3), C(2, 4)$

- $(x, y) \rightarrow (x-5, y-3)$
- Reflect over  $x$ -axis



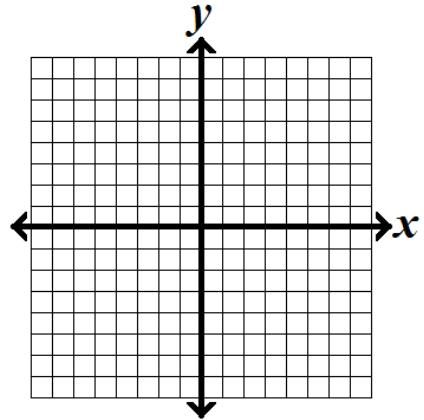
10.  $D(-2, -4), E(6, 2), F(3, -5)$

- Reflect over  $y$ -axis
- Rotate  $180^\circ$  CW around origin



11.  $G(4, -1), H(3, 5), J(-1, 1)$

- Reflect over line  $y = -2$
- $(x, y) \rightarrow (x, y+4)$



$A'(\quad, \quad)$      $A''(\quad, \quad)$

$B'(\quad, \quad)$      $B''(\quad, \quad)$

$C'(\quad, \quad)$      $C''(\quad, \quad)$

$D'(\quad, \quad)$      $D''(\quad, \quad)$

$E'(\quad, \quad)$      $E''(\quad, \quad)$

$F'(\quad, \quad)$      $F''(\quad, \quad)$

$G'(\quad, \quad)$      $G''(\quad, \quad)$

$H'(\quad, \quad)$      $H''(\quad, \quad)$

$J'(\quad, \quad)$      $J''(\quad, \quad)$